

Volume of slice =  $s^2 \times \Delta y$

$$= (a-y)^2 \Delta y$$

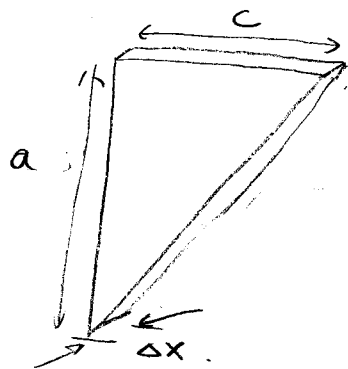
$$= (2-y)^2 \Delta y$$

$$\Rightarrow \int_0^2 (2-y)^2 dy$$

5

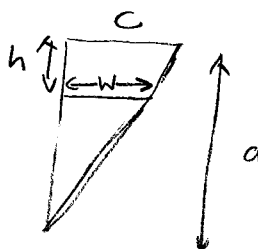
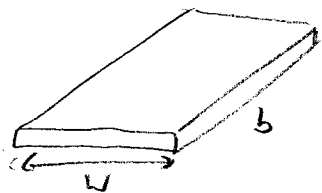
HWS 2

(a) Hint: slices are triangles



$$\text{Volume} = \frac{1}{2} a c \Delta x$$

(c) Slices are rectangles.



Similar triangles:

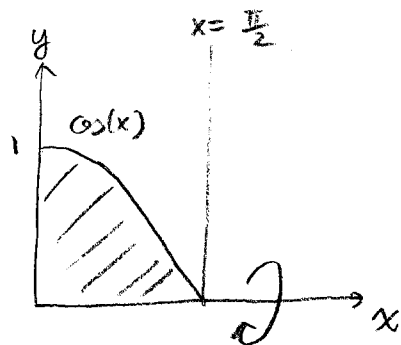
$$\frac{a-h}{w} = \frac{a}{c}$$

$$w = c \left(1 - \frac{h}{a}\right)$$

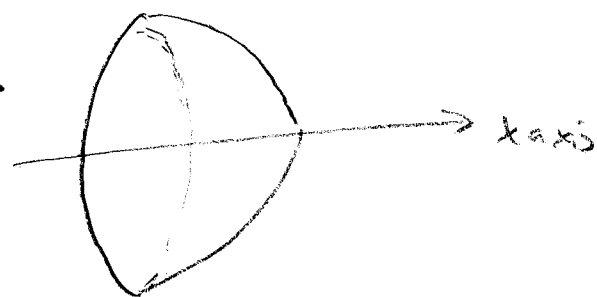
$$\text{Volume} = w \cdot b \cdot \Delta h$$

$$= c \left(1 - \frac{h}{a}\right) \cdot \Delta h$$

1

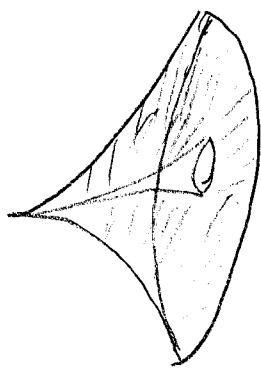
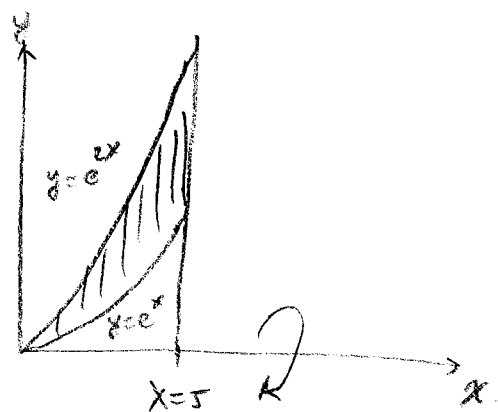


Rotate



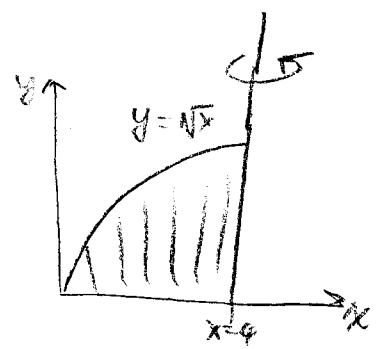
$$\int_0^{\pi/2} \pi \cos^2(x) dx \quad (\text{use table})$$

2

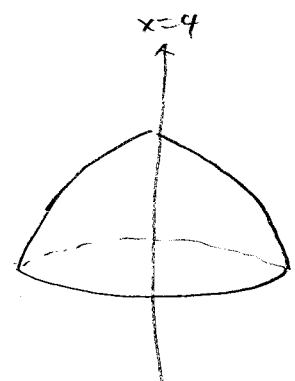


$$\int_0^5 \pi (e^{4x} - e^{2x}) dx$$

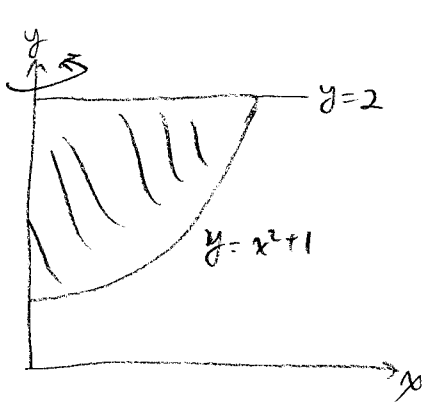
3



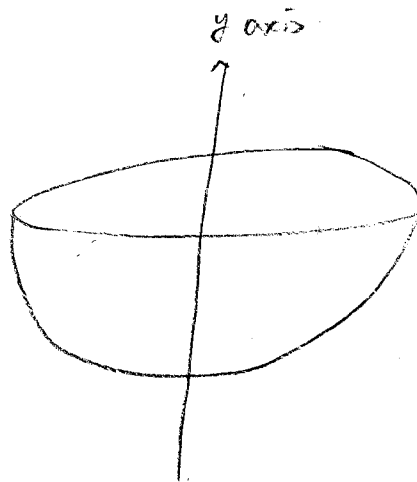
rotate around x=4



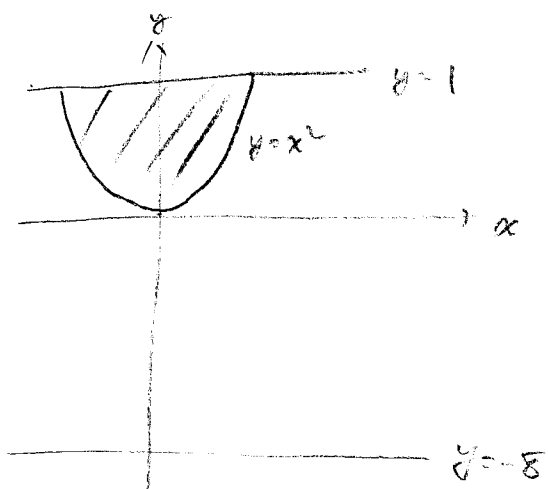
14



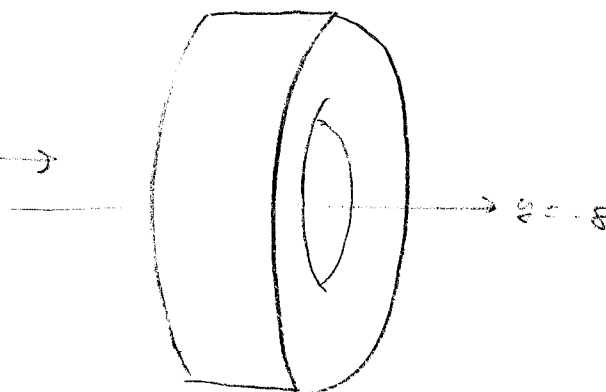
Rotate



15

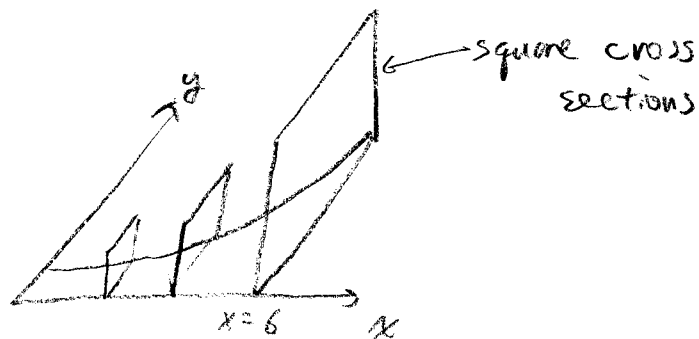
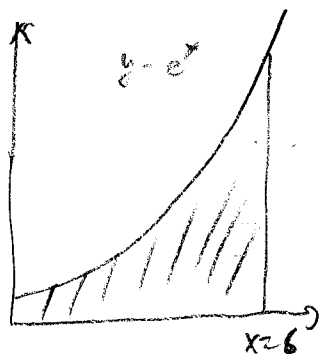


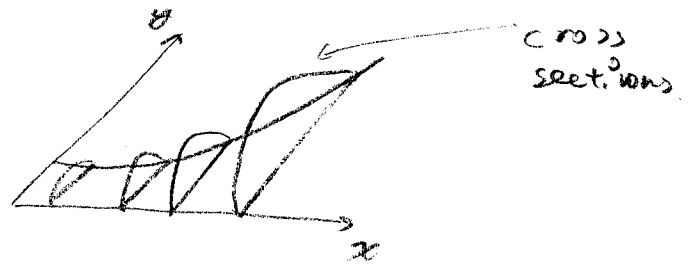
Rotate



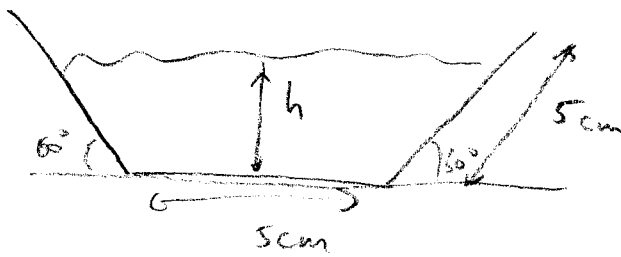
6

Base of Solid



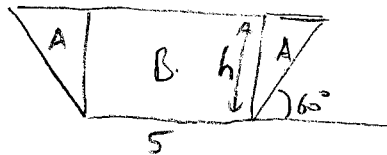


8 (c)



90 cm long

$$\text{Area} = 2A + B$$



$$B = 5h$$

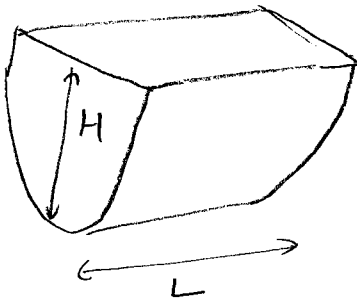
$$A = \frac{1}{2} h \cdot \text{base}$$

$$= \frac{1}{2} h \cdot h \cdot \tan(60^\circ)$$

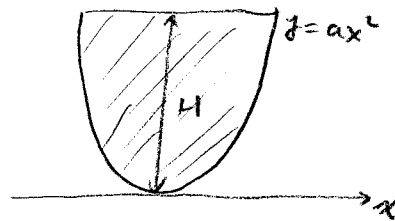
$$= \frac{h^2}{2\sqrt{3}}$$

$$\text{Volume} = \left( \frac{h^2}{\sqrt{3}} + 5h \right) \cdot 90$$

135 from text:



Cross section:



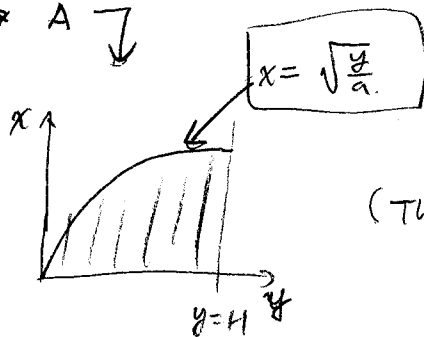
max weight of boat + cargo

= max weight of displaced water

$$= \frac{10000 \text{ Newtons}}{\text{m}^3} \times \text{Volume of boat}$$

Volume = area of cross section  $\times L$

$$\text{Area} = 2 \times A$$



(This is the cross section, <sup>turned</sup> sideways)

$$= 2 \int_0^H \sqrt{\frac{y}{a}} dy$$

$$= \frac{2}{\sqrt{a}} \cdot \frac{2}{3} H^{3/2}$$

$$\text{So Weight} = 10000 \cdot \frac{4}{3} \cdot \frac{1}{\sqrt{a}} \cdot H^{3/2} \cdot L$$